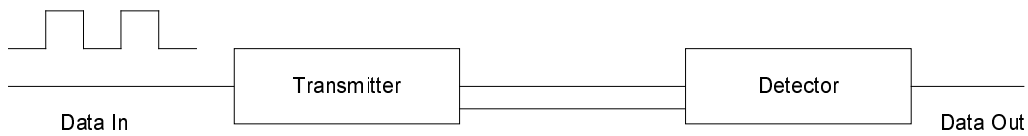


Optical links

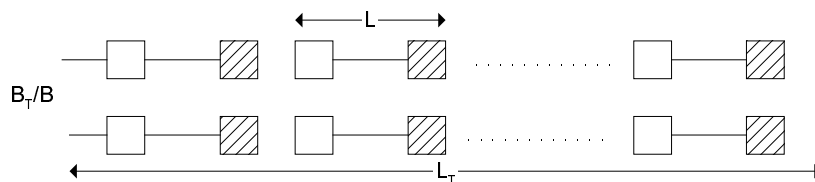


Technology is described by (B, L)
 / \
 bps Km

Signal of B bps recovered at L Km with BER of 10^{-9}

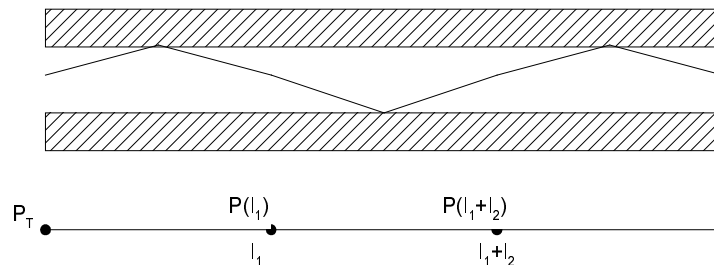
Suppose one wants to transmit B_T bps over L_T Km

One needs $N_R = \frac{B_T \times L_T}{B \times L}$ repeaters & links



Economically the important figure is BxL (bps x Km)

Fiber Attenuation



P_T = transmitted power

$P(l)$ = power at distance l

Let $P(l) = a(l)P_T$

\
depends on wavelength and fiber

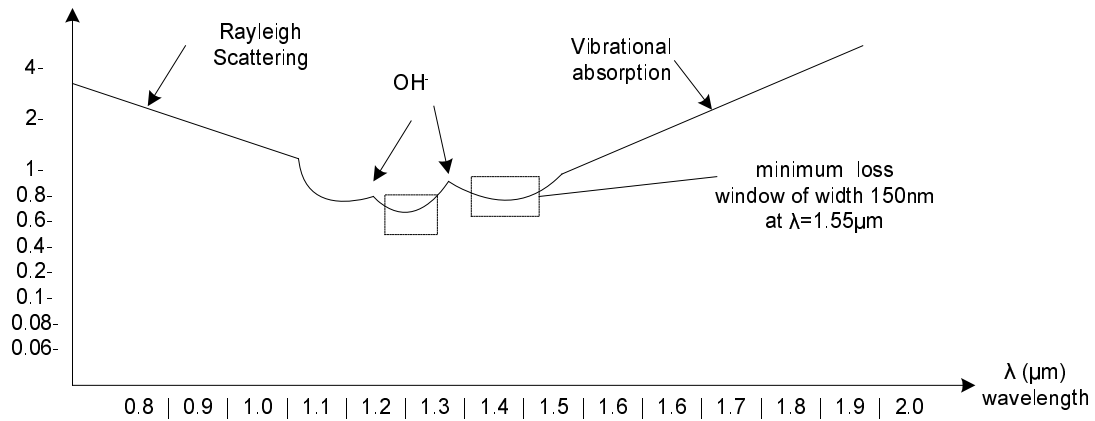
$$P(l_1 + l_2) = a(l_1 + l_2)P_T = a(l_2)P(l_1) = a(l_1)a(l_2)P_T$$

$$\Rightarrow a(l_1 + l_2) = a(l_1)a(l_2) \Rightarrow a(l) = 10^{-\frac{Al}{10}}$$

$A(\text{dB/Km})$ = attenuation constant of fiber

|
depends on wavelength λ & quality of fiber

Fiber Attenuation



low loss window of width
100nm at $\lambda=1.33\mu\text{m}$

The window at $1.33\mu\text{m}$ has a range of frequencies

from $\frac{c}{\lambda + 100\text{nm}}$ to $\frac{c}{\lambda}$ (c=speed of light, $\lambda=1.33\mu\text{m}$)

or 209.8 THz to 225.6 THz.

This window covers a range of 16THz \Rightarrow it can be used to transmit at about 8 Tbps (1.6 billion phone calls)

Example:

L = transmitter/receiver distance

P_T = transmitted power = 1mW

$P_R = 10^{-4.5}$ mW = required received power for
BER= 10^{-9} at B=1Gbps

$A = 0.2 \frac{dB}{Km}$ = attenuation constant

Max length: $P_R = 10^{-\frac{AL}{10}} P_T$
 $\Rightarrow L = \frac{10}{A} \log_{10} \frac{P_T}{P_R} = 225Km$

$B \times L = 225Gbps \times Km$ for optical fiber

Compare with coaxial cable: at

$B = 100Mbps, A = 30 \frac{dB}{Km}$
 $P_T = 1W, P_R = 10^{-7.5} mW$ } $\Rightarrow L = 3.5Km \Rightarrow B \times L = 0.35Gbps \times Km$

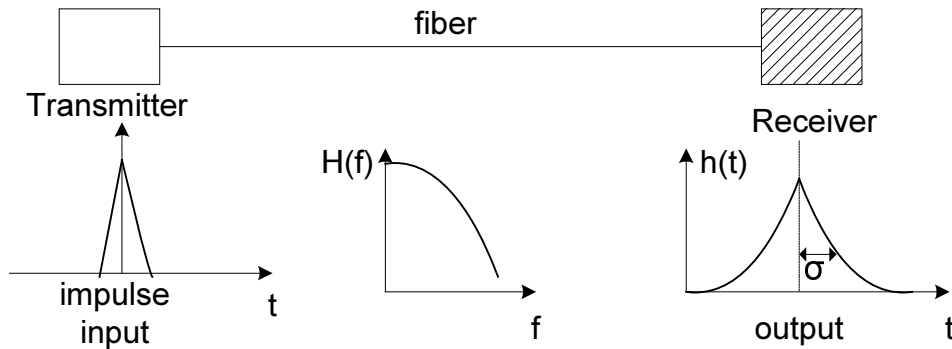
for coaxial cable

Note 1: L increases linearly in $\frac{1}{A}$ and
logarithmically in P_T or P_R

Note 2: $P_R = \bar{N} \cdot B \cdot h \frac{c}{\lambda}$, $\lambda = 1.3\mu m$

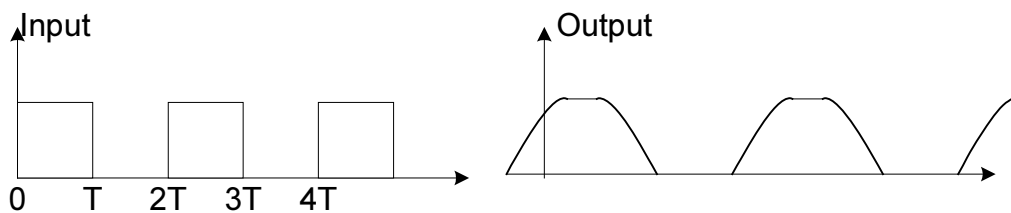
$\bar{N} = 1000 - 2000 \frac{photons}{bit}$ for BER= 10^{-9} and InGaAs PIN
receiver

Fiber Dispersion



$$\sigma = aL \text{ (a depends on fiber)}$$

Suppose input is 101010 with bit rate $B = \frac{1}{T}$



For dispersion not to result in errors we require,

$$\text{say, } \frac{\sigma}{T} < \frac{1}{4} \Rightarrow \sigma B < \frac{1}{4} \Rightarrow B \cdot L < \frac{1}{4a}$$

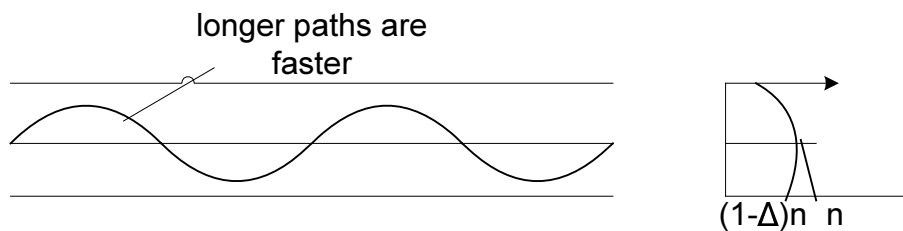
Upper bound on $B \times L$ product due to dispersion

Dispersion limit together with attenuation limit determines the maximum usable length of a fiber for a given B.

- Dispersion limit gives

$$B \times L < \frac{c}{2n\Delta} = \frac{3 \times 10^5}{2 \times 1.46 \times 0.01} = 10 \text{ Mbps} \times \text{Km}$$

- Dramatic improvement with graded index (GRIN) fibers



Can get $B \times L < \frac{2c}{n\Delta^2} = 4 \text{ Gbps} \times \text{Km}$

- In single mode fibers, modal dispersion is absent since core diameter $\approx 8 \mu\text{m}$



“Material” dispersion present because refractive index is nonlinear function of λ

Analysis gives $B \times L < 250 \text{ Gbps} \times \text{Km}$

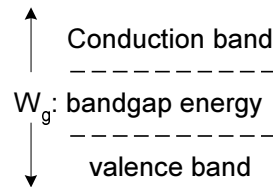
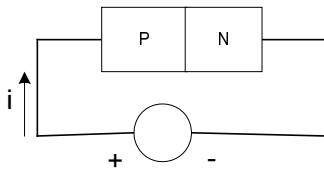
Sources

Requirements: low cost, reliability, power, coherence (phase/frequency), ability to be modulated

Two popular kinds of sources LEDs and LDs

 / \
light-emitting diodes laser diodes

LEDs



Light mechanism: recombination of electrons in conduction band with holes in valence band → excess energy emitted as a photon

$$\lambda = \frac{hc}{W_g} = \frac{1.24 \mu m}{W_g (eV)}$$

$$W_g = a \frac{c}{\lambda} h$$

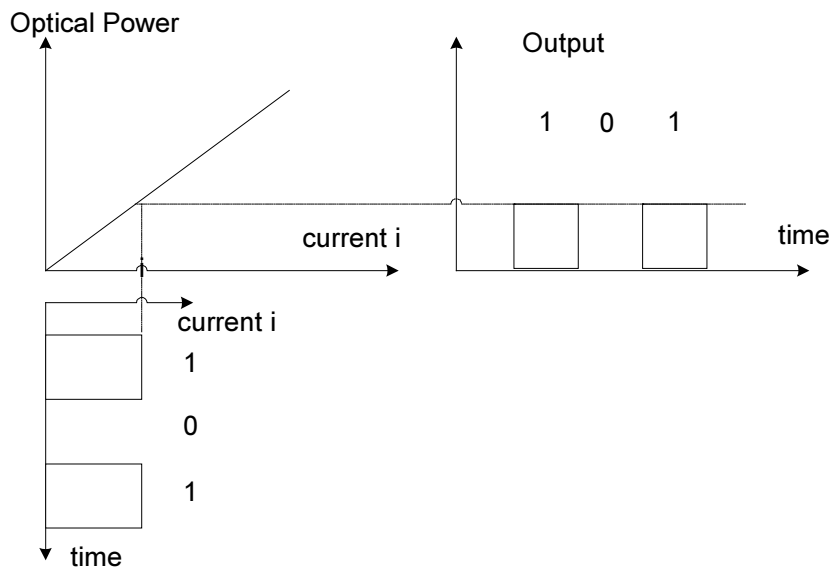
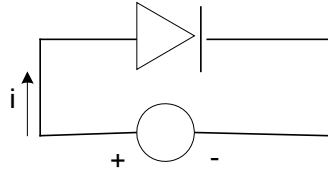
Material	$\lambda(\mu m)$	$W_g(eV)$
GaAs		1.4
AlGaAs	0.8-0.9	1.4-1.55
InGaAs	1.0-1.3	0.95-1.24
InGaAsP	0.9-1.7	0.73-1.35

Optical power (mW): $P = niW_g$, $n = \frac{\# \text{ photons}}{\# \text{ injected electrons}}$

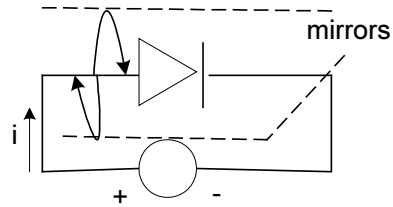
Typical power = 1mW, Spectral width \approx 100nm

Light emitted is incoherent (different frequencies/
phases)

Modulation (Digital)



Laser Diodes (LD)



Light Mechanism:

Below threshold we have some phenomena as in
LED

Above threshold we get "stimulated emissions"

Mirrors provide feedback to sustain stimulated
emissions at certain wavelengths

Spectral width $\approx 3\text{nm}$

Optical power: 1-10mW

Detectors

A detector has to determine whether '1' or '0'

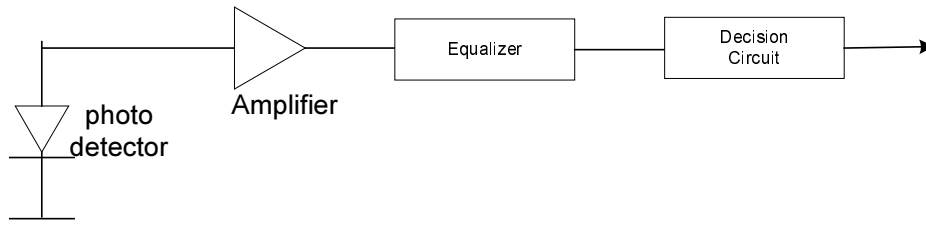
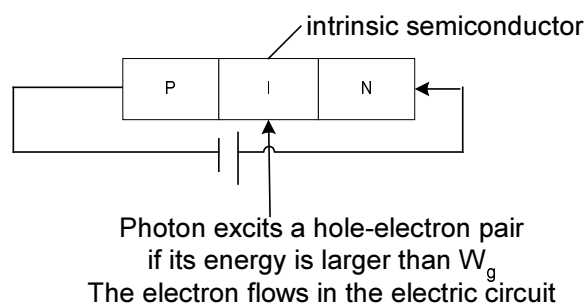


Photo detector is usually a PIN diode



Material of PIN diode is the same with that of LED or LD

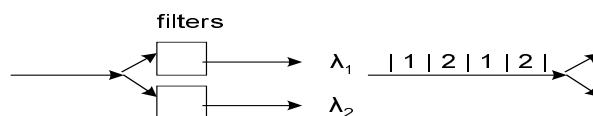
Current is proportional to number of arriving photons.

Sensitivity is reduced by "shot" noise.

All optical networks

Conventional switching at the network nodes require electron conversion (the electronic bottleneck), losing much of the benefit of optics.

Network management and control require electronics, but all optical data paths is a reasonable goal with emerging optical technology.

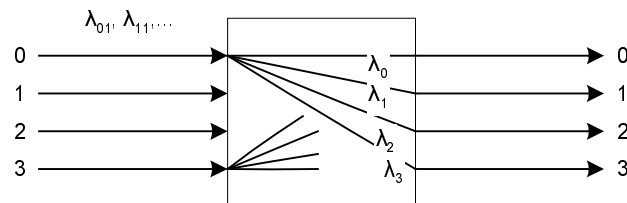


Frequency division techniques are better developed than time division techniques for optical communication.

It is reasonable to multiplex F frequency channels on one optical fiber; for order of magnitude: $F \approx 100$ channels, 1Gbps each.

Wavelength (λ) Router

Assume initially that the N frequency bands on each input fiber, $\lambda_0, \lambda_1, \dots, \lambda_n$



The rule is that frequency λ_j on input port i , comes out at output port $(i+j) \bmod n$.

Output k receives n frequencies, one from each input port (i.e. frequency λ_j comes from $(k-j) \bmod n$).

Each frequency band λ_j , may have s subbands $\lambda_{j1}, \lambda_{j2}, \dots$

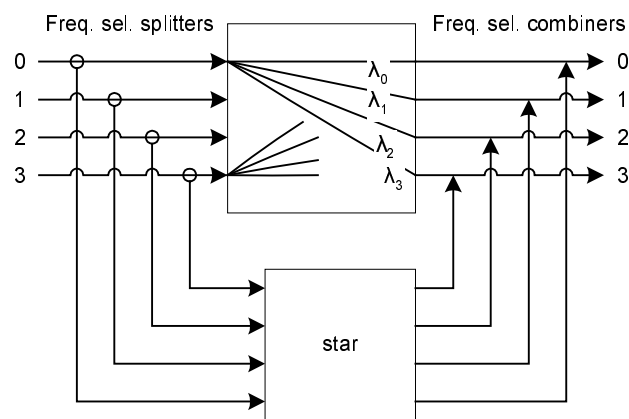
There is complete frequency reuse.

There is a lack of flexibility however (e.g. you cannot switch λ_0 from input port 0 to output port 1)

Lack of Flexibility

Two ways to deal with it:

- Create a dynamic router (appears to be very expensive)
- Create a star network bypass around λ router



The frequencies going through the star, so we see a tradeoff between capacity and flexibility.

Note: the frequencies going through the star can be used for applications that require broadcasting.

Other components

- Connectors (connects source to fiber)
- Power splitters
- Filters } for optical switching
- Optical amplifiers